

# A Level Physics Online

## AQA Physics - 7407/7408

### Module 11: Engineering Physics

You should be able to demonstrate and show your understanding of:	Progress and understanding:			
	1	2	3	4
<b>11.1 Rotational Dynamics</b>				
<b>11.1.1 Concept of Moment of Inertia</b>				
$I = mr^2$ for a point mass  $I = \Sigma mr^2$ for an extended object				
Qualitative knowledge of the factors that affect the moment of inertia of a rotating object.				
Expressions for moment of inertia will be given where necessary.				
<b>11.1.2 Rotational Kinetic Energy</b>				
$E_k = \frac{1}{2} I \omega^2$				
Use of flywheels in machines and factors affecting the energy storage capacity of a flywheel.				
Use of flywheels for smoothing torque and speed, and for storing energy in vehicles, and in machines used for production processes.				
<b>11.1.3 Rotational Motion</b>				
Angular displacement, angular speed, angular velocity, angular acceleration:  $\omega = \Delta\theta / \Delta t$  $\alpha = \Delta\omega / \Delta t$				
Representation by graphical methods of uniform and non-uniform angular acceleration.				

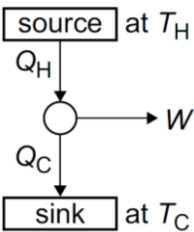


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Equations for uniform angular acceleration:  $\omega_2 = \omega_1 + \alpha t$ $\theta = \frac{1}{2} (\omega_1 + \omega_2) t$ $\theta = \omega_1 t + \frac{1}{2} \alpha t^2$ $\omega_2^2 = \omega_1^2 + 2\alpha\theta$				
Students should be aware of the analogy between rotational and translational dynamics.				
<b>11.1.4 Torque and Angular Acceleration</b>				
$T = Fr$ $T = I\alpha$				
<b>11.1.5 Angular Momentum</b>				
$\text{Angular momentum} = I\omega$				
Conservation of angular momentum.				
Angular impulse = change in angular momentum  $T \Delta t = \Delta(I\omega) \text{ where } T \text{ is constant.}$				
Applications may include examples from sport.				
<b>11.1.6 Work and Power</b>				
$W = T\theta$ $P = T\omega$				
Awareness that frictional torque has to be taken into account in rotating machinery.				



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<b>11.2 Thermodynamics and Engines</b>				
<b>11.2.1 First Law of Thermodynamics</b>				
Quantitative treatment of first law of thermodynamics:  $Q = \Delta U + W$  Where $Q$ is energy transferred to the system by heating, $\Delta U$ is increase in internal energy and $W$ is work done by the system.				
Applications of first law of thermodynamics.				
<b>11.2.2 Non-flow Processes</b>				
Isothermal, adiabatic, constant pressure and constant volume changes.				
$pV = nRT$				
Adiabatic change: $pV^\gamma = \text{constant}$				
Isothermal change: $pV = \text{constant}$				
At constant pressure $W = p\Delta V$				
Application of first law of thermodynamics to the above processes.				
<b>11.2.3 The p-V Diagram</b>				
Representation of processes on $p$ - $V$ diagram.				
Estimation of work done in terms of area below the graph.				
Extension to cyclic processes: <i>work done per cycle = area of loop</i>				
Expressions for work done are <b>not required</b> except for the constant pressure case, $W = p\Delta V$				
<b>11.2.4 Engine Cycles</b>				
Understanding of a four-stroke petrol engine cycle and a diesel engine cycle, and of the corresponding indicator diagrams.				



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Comparison with the theoretical diagrams for these cycles; use of indicator diagrams for predicting and measuring power and efficiency.				
<i>Input power = calorific value × fuel flow rate</i>				
Indicated power as <i>(area of p–V loop) × (no. of cycles per second) × (no. of cylinders)</i>				
Output or brake power, $P = T\omega$				
<i>Friction power = indicated power – brake power</i>				
Engine efficiency; overall, thermal and mechanical efficiencies. <i>Overall efficiency = brake power / input power</i> <i>Thermal efficiency = indicated power / input power</i> <i>Mechanical efficiency = brake power / indicated power</i>				
A knowledge of engine constructional details is not required.				
Questions may be set on other cycles, but they will be interpretative and all essential information will be given.				
<b>11.2.5 Second Law and Engines</b>				
Impossibility of an engine working only by the First Law.				
Second Law of Thermodynamics expressed as the need for a heat engine to operate between a source and a sink.				
<i>Efficiency = <math>W/Q_h = (Q_h - Q_c) / Q_h</math></i>				
<i>Maximum theoretical efficiency = <math>(T_h - T_c) / T_h</math></i>				
				



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Reasons for the lower efficiencies of practical engines.				
Maximising use of $W$ and $Q_H$ for example in combined heat and power schemes.				
<b>11.2.6 Reversed Heat Engines</b>				
Basic principles and uses of heat pumps and refrigerators.				
A knowledge of practical heat pumps or refrigerator cycles and devices is not required.				
Coefficients of performance: refrigerator: $COP_{ref} = Q_c / W = Q_c / (Q_h - Q_c) = T_c / (T_h - T_c)$ heat pump: $COP_{hp} = Q_h / W = Q_h / (Q_h - Q_c) = T_h / (T_h - T_c)$				

